

Safe Option-Critic: Learning Safety in the Option-Critic Architecture

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Reinforcement Learning

In RL, we have state s , action a , reward r , policy $\pi(a|s)$, transition probability $P(s'|s, a)$ and discount factor γ .

- Return: $\sum_{t=0}^{\infty} \gamma^t r_{t+1}$
- Value of state: $V(s) = \mathbb{E}_{\pi}[\sum_{t=0}^{\infty} \gamma^t r_{t+1} | s_0 = s]$
- State-action value: $Q(s, a) = \mathbb{E}_{\pi}[\sum_{t=0}^{\infty} \gamma^t r_{t+1} | s_0 = s, a_0 = a]$
- One-step temporal difference (TD) error:
$$\delta(s, a) = r(s, a) + \gamma P(s'|s, a) \pi(a'|s') Q(s', a') - Q(s, a)$$

Background I: Options framework

An option $\omega \in \Omega$ is a triple of:

- Initiation set: I_ω
- Internal policy: π_ω
- Termination condition: β_ω

Let $\Theta = \{\theta, \nu\}$, where following represents parameter for:

- θ : Internal policy $\pi_{\omega, \theta}$
- ν : Termination condition $\beta_{\omega, \nu}$

The update for Q value [Bacon et al., 2017]:

$$Q(s, \omega, a) = r(s, a) + \gamma P(s'|s, a) \{ (1 - \beta_{\omega, \nu}(s)) Q_\Theta(s, \omega) + \beta_{\omega, \nu}(s) V_\Omega(s) \}$$

Background II: Safety

Unintended or harmful behavior that may emerge from machine learning systems when we specify the wrong objective function, are not careful about the learning process, or commit other machine learning-related implementation errors. [Amodei et al., 2016]

Controllability: Negation of variance in the TD error, controlling uncertainty in the value of a state-option pair [Gehring and Precup, 2013].

Contribution of this work

Safe Option-Critic (SOC) framework provides a novel mechanism to learn end-to-end safe options.

- Derived a policy-gradient style update for a new safe objective function

$$\max_{\Theta} J(\Theta|d),$$

$$\text{where } J(\Theta|d) = \mathbb{E}_{(s_0, \omega_0) \sim d} [Q_{\Theta}(s_0, \omega_0) + \psi C_{\Theta}(s_0, \omega_0)]$$

Here $C_{\Theta}(s_0, \omega_0) = -\mathbb{E}_{a \sim \pi_{\omega, \theta}(a|s)} [\delta^2(s, \omega, a)]$ is the controllability, ψ is the regularizer on controllability, d is initial state-option distribution.

Results: Update for gradient

θ update for internal policy of option

$$\mathbb{E}\left[\frac{\partial \log(\pi_{\omega, \theta}(a|s))}{\partial \theta} Q_{U, \Theta}(s, \omega, a) - \frac{\partial \log(\pi_{\omega_0, \theta}(a_0|s_0))}{\partial \theta} \psi \delta^2(s_0, \omega_0, a_0)\right]$$

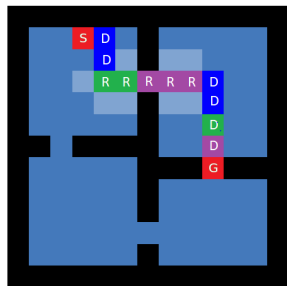
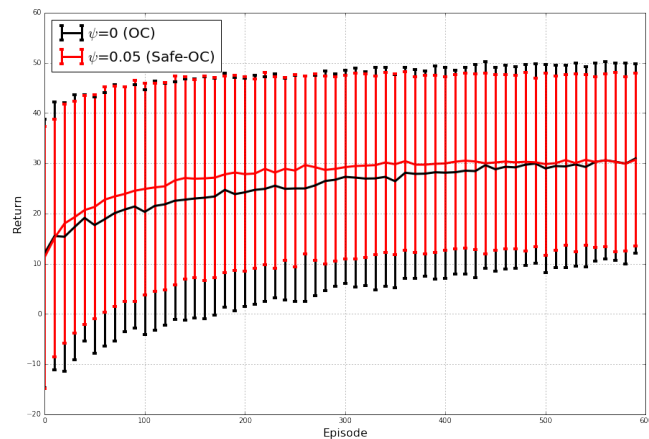
Interpretation: Take better primitive action with a regularization on minimizing TD error inside an option.

ν update for termination function of option

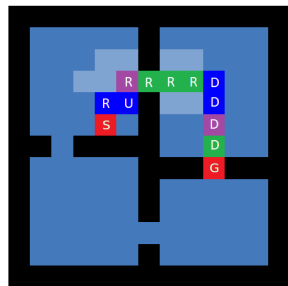
$$\mathbb{E}\left[\frac{\partial \beta_{\omega, \nu}(s')}{\partial \nu} (Q_{\Theta}(s', \omega) - V_{\Omega}(s'))\right]$$

Interpretation: Termination unaffected by the controllability.

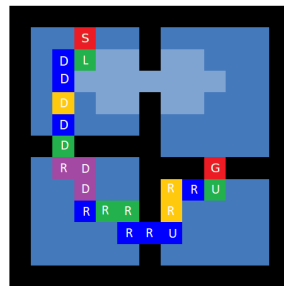
Results: Four room environment



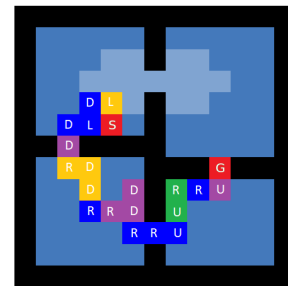
(a) OC



(b) OC

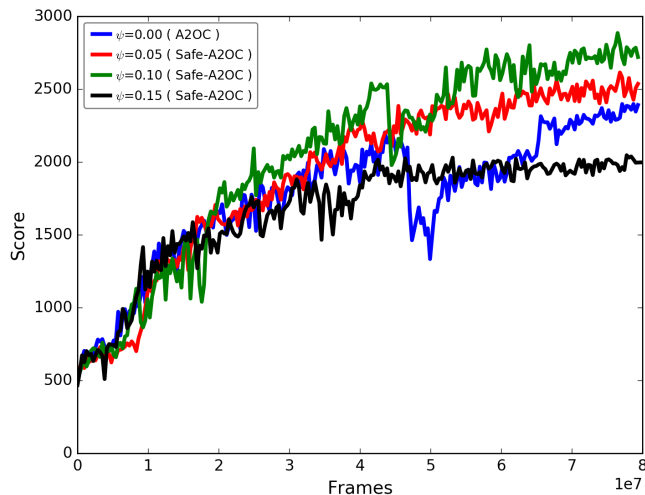


(c) Safe-OC

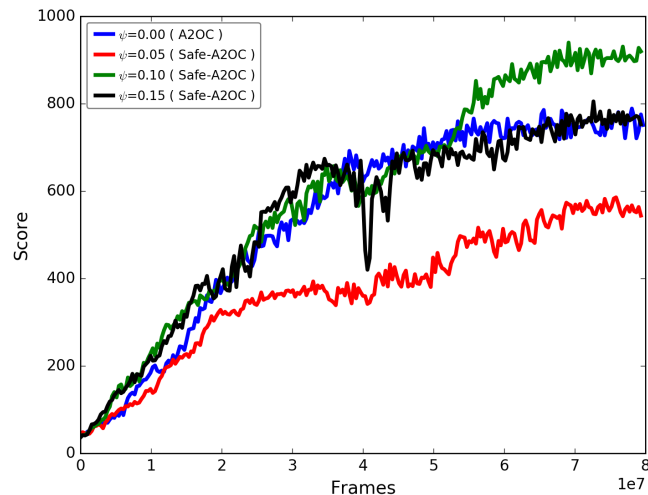


(d) Safe-OC

Results: Arcade Learning Environment



(a) MsPacman



(b) Amidar

Conclusion

- Novel work to incorporate **safety** in **end-to-end options** learning.
- Safe-OC framework is **scalable** to include non-linear function approximation.

Future Work:

- Using **n-step return** calculation at option switching (current work return calculation limited until option terminates).
- To learn **initiation set** while learning safe options.
- Notion of safety to **different levels of hierarchy**.

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